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|---------|--|----------|
| (a)(i) | stress = force / (cross sectional) area | B1 |
| (ii) | strain = extension / (original) length | B1 |
| (b) (i) | elastic returns to its original length/shape when the force/load is removed | B1 |
| | plastic does not regain its original length/size when the load is removed | B1 |
| | (allow ½ if removal of load is not specified but remainder is clear) | |
| (ii) | force/stress/strain/extension beyond which the material does not return to its original length (when the load is removed)
(point beyond....scores one only) | B1
B1 |
| (c)(i) | unit: Pa / N m ² | B1 |
| (ii) | Any <u>seven</u> from: | |
| | • Appropriate arrangement drawn | B1 |
| | • Measure length | B1 |
| | • Apply force and measure the extension | B1 |
| | • Take a series of readings | B1 |
| | • Measure the diameter | B1 |
| | • Graph of stress against strain / force-extension graph | B1 |
| | • Gradient for E / E = stress/strain / Gradient = EA/L | B1 |
| | • Point of detail e.g. second wire, micrometer used for diameter, Vernier for extension, very long wire | B1 |

2.

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|--------|--|----------------|
| (a) | force / load if proportional to extension | B1 |
| (b)(i) | force constant = 100 / (40 x 10 ⁻³) or equivalent
= 2500 N m ⁻¹ / kg s ⁻² (2.5 N mm ⁻¹) | C1
A1 |
| | unit penalty | -1 |
| (ii) | work done = area under graph / (force x extension) / 2
= (120 x 48 x 10 ⁻³) / 2
= 2.88 (2.9 to 2sf) (J) | C1
M1
A0 |
| (c)(i) | k.e = ½ mv ²
v ² = (2.9 x 2) / 0.015
v = 19.7 (ms ⁻¹) (19.6 if 2.88 J is used) | C1
C1
A1 |

(ii)	(energy lost due to) <u>friction in the gun</u> air resistance (allow energy loss if type identified and place given) (allow recoil of the gun)	B1 B1
Total		[10]
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3.		
(a)(i)	Young modulus = tensile stress / tensile strain (stress / strain scores 1, with definitions of stress and strain scores 2)	B2
(ii)	elastic limit: maximum force / load / stress / strain / extension which can be applied to an object and it will regain its original length when the force / load stress is removed	B2
(iii)	elastic returns to original length when load is removed plastic returns some deformation (when load is removed) penalise 'when load is removed' once only in (ii) and (iii)	B1 B1
(b)	a. brittle substance / glass / cast iron / perspex b. ductile substance / metal / polythene c. polymeric substance / rubber / elastic	B1 B1 B1
	extends uniformly <u>and</u> then breaks for a plastic behaviour for b	B1 B1
	elastic but energy stored in the material when load removed for c / <u>elastic</u> but <u>not uniform</u>	B1
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4.		
(a)	stress/ strain with qualification e.g. elastic limit, within limit of proportionality tensile stress, tensile strain, Hooke's law obeyed	M1 A1
(b)(i)	$e/l = 0.55 \times 10^{-3} / 1.8$ $= 3.1 \times 10^{-4} (3.056)$	C1
(ii)	$E = F \times l / A \times e$ $F = 2 \times 10^{11} \times 3.1 \times 10^{-4} \times 1.2 \times 10^{-7}$ $F = 7.33 \quad (\text{N})$	C1 A1
(c)(i)	E is half therefore e will be twice e = 1.1 (mm) (or suitable calculation)	C1 A1
(ii)	limit of proportionality not exceeded / elastic limit is not exceeded / temperature of wires the same / Hooke's law applies	B1
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- 5.
- (a) load / force is proportional to extension B1
- (b)(i) $E = (F \times l) / (e \times A) / E = \text{stress} / \text{strain}$ C1
 $= (\text{gradient of graph} \times 1.7) / 1.8 \times 10^{-7}$ C1
- (grad = $29.0 / 1.6 \times 10^{-3}$ or use of two points on line) C1
- $= 1.71 \times 10^{11} \text{ (Pa)}$ A1
- (ii) $W = \text{area under line} / W = \frac{1}{2} Fe$ C1
- $= \frac{1}{2} \times 29 \times 1.6 \times 10^{-3}$ C1
- $= 0.023 \text{ (J)}$ A1
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- 6.
- (a) $(E) = \text{stress/strain}$ B1
- (b)(i) strain = extension/length C1
 $= 4.2 \times 10^{-3} / 0.75$
 $= 5.6 \times 10^{-3}$ A1
- (b)(ii) $E = \text{force} / (\text{area} \times \text{strain})$ C1
 $F = E \times A \times \text{strain}$
 $= 2 \times 10^{11} \times 4.5 \times 10^{-7} \times 5.6 \times 10^{-3}$ C1
 $= 504 \text{ (N)}$ A1
- (c) larger extension in words scores 1 B2
 (twice the extension) 8.4 scores 2
- (d)(i) density = mass / volume B1
- (ii) volume larger hence density less B1
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- 7.
- (a) tensile stress: force/tension per unit cross-sectional area or $\frac{F}{A}$
 with F and A defined ✓
- tensile strain: extension per unit length or $\frac{e}{l}$ with e and l defined ✓
- the Young modulus: $\frac{\text{tensile stress}}{\text{tensile strain}}$ ✓ (3)
- (b)(i) $E_S = \frac{F_S l}{A e}$ and $E_B = \frac{F_B l}{A e}$ ✓ hence $\frac{E_S}{E_B} = \frac{F_S}{F_B}$
- (ii) $\frac{E_S}{E_B} = 2$ ✓
 $\therefore F_S = 2 F_B$ ✓
- $F_S + F_B = 15 \text{ N}$ ✓ gives $F_S = 10 \text{ N}$
 [or any alternative method]

$$\text{(iii) } \left(E = \frac{F l}{A e} \text{ gives} \right) \quad e = \left(\frac{F l}{A E} \right) = \frac{10 \times 15}{1.4 \times 10^{-6} \times 2.0 \times 10^{11}} \quad \checkmark$$
$$= 5.36 \times 10^{-5} \text{ m} \quad \checkmark$$

(6)
(9)

Quality of Written Communication marks: Q2 (a) (ii) and Q2 (b) ✓✓ (2)
(2)
