

1.

- (a)(i) horizontal distance = (4.0×20)
 $= 80 \text{ (m)}$ A1
- (ii) vertical fall: $s = ut + \frac{1}{2} at^2$ C1
 $= 0 + 0.5 \times 9.8 (4.0)^2$ C1
 $= 78 \text{ (m)}$ A1
- (iii) horizontal component = $20 \text{ (m s}^{-1}\text{)}$ A1
- (iv) vertical component: $v = u + at$
 $= 0 + 9.8 \times 4$ C1
 $= 39 \text{ (m s}^{-1}\text{)}$ A1
- (b)(i) friction/air resistance
 lift
 weight / force due to gravity **any 2** B2
- (ii) (gravitational) potential B1
 converted to kinetic energy B1
 and thermal energy / heat / work done against friction B1
- two methods and two explanations
 or four methods
 e.g. increase speed down runway
 larger surface area of skis
 point skis upwards
 lie as flat as possible / streamlining B4

2.

(a)	Downward arrow at P	B1
(b)	From <u>gravitational</u> potential (energy) to kinetic (energy) / KE / E_k (wtte)	B1
	Any further detail: KE maximum at bottom / Zero (G)PE at bottom / (G)PE is maximum at top / (G)PE and KE at top (wtte)	B1
(c)	The acceleration / force / weight is at right angles to horizontal motion / velocity (wtte)	B1
(d)	time = $\frac{3.6}{7.0}$ (= 0.514 s)	B1

(e)	$u = 0$ <u>and</u> $v = u + at$ or $v^2 = u^2 + 2as$	C1
	'vertical' velocity = $9.81 \times 0.5(14)$ or	
	'vertical' velocity = $\sqrt{2 \times 9.81 \times 1.3}$	
	'vertical' velocity = $5.0 \text{ (m s}^{-1}\text{)}$	C1
	$v^2 = 7.0^2 + 5.0^2$	C1
	$v = 8.6 \text{ (m s}^{-1}\text{)}$	A0

3.

a	time = $1.2/8.0$	M1
	time = 0.15 (s)	A0
b	$s = ut + \frac{1}{2}at^2$ <u>and</u> $u = 0$ / $s = \frac{1}{2}at^2$ /	C1
	$h = \frac{1}{2} \times 9.81 \times 0.15^2$ $h = 0.11 \text{ (m)}$	A1
c	They both have same (vertical) acceleration / same acceleration of free fall / acceleration of 9.8 ms^{-2} (and zero initial vertical velocity)	B1

4.

(a)	vertically down(wards) / vertically towards the ground	B1
(b)	horizontal velocity = $24 \times \cos 30$ = $21 \text{ (m s}^{-1}\text{)}$	B1
	vertical component = $24 \times \sin 30$ = $12 \text{ (m s}^{-1}\text{)}$	B1
(c)	The ball is (still) moving at B / has horizontal motion at B / has horizontal velocity (of 20.8 m s^{-1}) at B / has KE at B	B1
(d)	$v^2 = u^2 + 2as$	
	Using the vertical component $12 \text{ (m s}^{-1}\text{)}$ $0 = 12^2 - 2 \times 9.81 \times h$	C1 C1
	$h = 7.3 \text{ (m)}$	A1

5.

(a)	(i)	There is only a vertical force / weight is vertical / no horizontal force(s) / acceleration is vertical	B1
	(ii)	1 Correct sketch of the rebound path. 2 The time is the same. For both, the height / vertical distance and (vertical) acceleration are the same.	B1 M1 A1
(b)		Drop the ball from a given height and measure time of fall. $s = ut + \frac{1}{2} at^2$ and $u = 0$ or $s = \frac{1}{2} at^2$ (The acceleration of free fall is determined using) $a = \frac{2s}{t^2}$	B1 B1 B1
(c)	(i)	<u>Constant</u> deceleration or <u>uniform</u> deceleration or <u>constant negative</u> acceleration or <u>constant</u> rate (of change) of velocity (Momentarily) stops at 1.5 (s) or reaches maximum height at 1.5 (s) Clear idea of returning back. (AW)	B1 B1 B1
	(ii)	distance = $\frac{1}{2} \times 4.0 \times 1.5$ distance = 3.0 (m)	C1 A1